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... .1079288 SU, 02 19/00. / ...
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 33; . 22.02.83; .15.03.84, . 10.-4 . 2.
 . .607589 . 2 02 23/06. ...
 () . - 2445550/29-33; 24.01.77. . 25.05.78, . 19.-3 .
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 . .1299625 SU, 02 23/06. / ... ()
 - 3941291/29-33; . 08.07.85; .30.03.87, . 12.-3 . 4.

5.

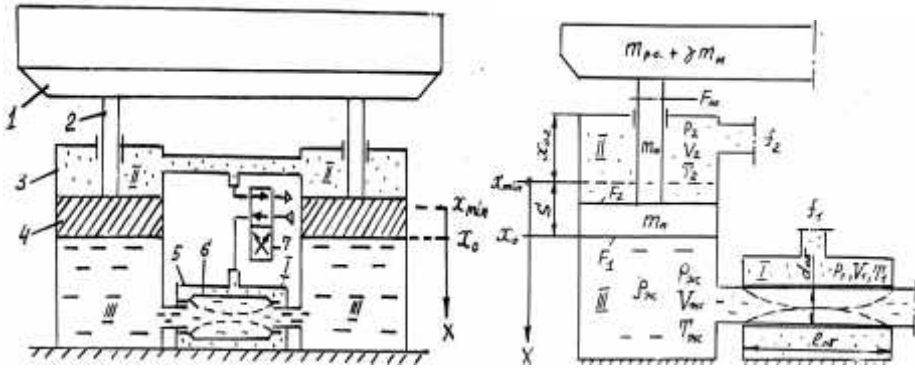
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16.09.06.

534.232 (088.8)

The differential equations describing moment of a working body of the vibrating machine and parameters of a condition of compressed air of pneumosystem are made; the results of the decision of the equations on the computer are given. The areas of application of vibrating machines with adjustable pneumohydro-drive are specified.

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 2 3 4; 5 1, 6,
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1.

$$= m_{p.o.} + \gamma \cdot m + \rho \cdot V + N_p \cdot (m + m) -$$

;
0 - (, min

“ ”):

$\gamma -$;
 $\rho, V -$;
 $N_p -$; $N -$;
 $P, V, T -$,

;
 $P, V, T -$,

;
 $f_1 = \mu \cdot f_1; f_2 = \mu \cdot f_2 -$;
($f_1, f_2 -$, $\mu -$);

$F_1, F_2, F -$;

b - ; f -

; $\tilde{f}_0(\dot{x}) - \dot{x}$

; k - , $k_1 = \sqrt{2k(k-1)}$, R - ;

;
; $\varphi(\tau) = \varphi(/) -$

(= 1, 2):

$d_0, l_0 -$

;
- (= min = -S): $V_1 = V_{1max}; V_2 = V_{2min};$
- (= 0): $V_1 = V_1; V_2 = V_{2min} +$
 $F_2(x_0 - x_{min})$.

$d_0:$

$$V_0 \geq (F_2 \cdot S \cdot N_p) / (N_e \cdot \eta); \quad l_0 \geq (4F_2 \cdot S \cdot N_p) / (N_e \cdot \pi \cdot d_0^2 \cdot \eta).$$

$$\ddot{\xi} = (-\tau_1 + \tau + \tau_2) \cdot N_p + \tau_2 - \text{Sign}(\dot{\xi}) [\tau_3 \cdot \tilde{f}_0(\dot{\xi}) + \tau_4 \cdot \dot{\xi}] + G(\xi) \cdot \xi;$$

$$\frac{d\ddot{\xi}_1}{d\ddot{\xi}} = \frac{k}{\tau_{01} - \tau} \cdot \left\{ \tau_5 \cdot \tau_1(\ddot{\xi}) - \tau_1 \frac{d\tau}{d\ddot{\xi}} \right\}; \quad \frac{d\ddot{\xi}_2}{d\ddot{\xi}} = \frac{k}{\tau_{02} + 1 + \tau} \cdot \left\{ \tau_6 \cdot \tau_2(\ddot{\xi}) - \tau_2 \frac{d\tau}{d\ddot{\xi}} \right\}; \quad (1)$$

(1)

; $x = S \cdot \xi; \quad t = T_0 \cdot \tau;$
 $P_1 = P \cdot \tau_1; \quad P_2 = P \cdot \tau_2; \quad P = P \cdot \tau; \quad V_1 = F_1 \cdot S \cdot N_p (\xi_{01} - \xi); \quad \xi_{01} = V_1 / (F_1 \cdot S \cdot N_p);$
 $V_2 = F_2 \cdot (x_{02} + S + x) = F_2 \cdot S (\xi_{02} + 1 + \xi)$

$\tau_1 = F_2 / F_1; \quad \tau_2 = (M \cdot g + P_a \cdot F \cdot N_p) / (F_1 \cdot P); \quad \tau_3 = f_1 / (F_1 \cdot P);$

$\tau_4 = b \sqrt{S} / (M \cdot F_1 \cdot P); \quad \tau_5 = (k_1 \cdot \sqrt{RT} \cdot T_0 \cdot f_1) / (F_1 \cdot S \cdot N_p);$

$\tau_6 = (k_1 \cdot \sqrt{RT} \cdot T_0 \cdot f_2) / (F_2 \cdot S);$

$$G(\tau) = \begin{cases} (C_1 S) / (F_1 P) & \tau < 0 \\ (C_2 S) / (F_1 P) & \tau > 0 \end{cases} \quad \tau_0 = \sqrt{(M \cdot S) / (F_1 \cdot P)} \quad (2)$$

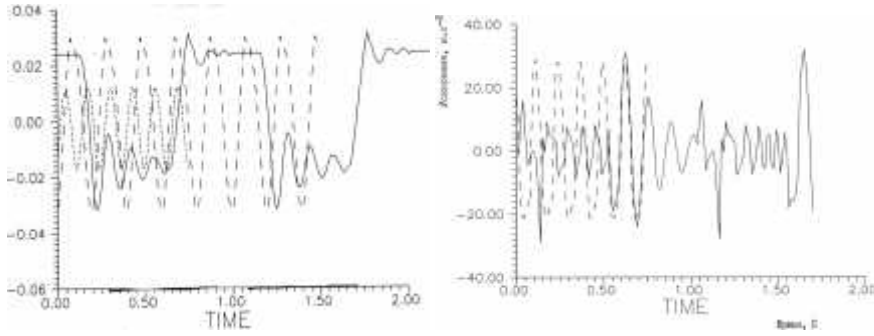
(2)

(1)

(. 2, 3)

= 350 ; = 0,6 ; $N_p = N_e = 1; f_1 = 0,00063^2; f_2 = 0,00015^2;$
 $F_1 = 0,0113^2; F_2 = 0,0108^2; \mu = 0,7; S = 0,025$

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8



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$$F_b \approx (rP - P_a) \cdot S_1 \cdot N_p \cdot \sin \check{S}t.$$

$$m_1 = m + m \quad ;$$

$$m_2 = m + m + m + m \quad ;$$

$$; m_3 \quad ; c_1, b_1, c_2, b_2, c_3, b_3 \quad ;$$

$$, x_1, x_2, x_3 \quad ;$$

$$\frac{d}{dt} \left(\frac{\partial T}{\partial \dot{q}_i} \right) + \frac{\partial U}{\partial q_i} + \frac{\partial F}{\partial \dot{q}_i} = Q_i,$$

$$T = \frac{1}{2} [m_1 (\dot{x}_1)^2 + m_2 (\dot{x}_2)^2 + m_3 (\dot{x}_3)^2], U = \frac{1}{2} [c_1 x_1^2 + c_2 (x_2 - x_1)^2 + c_3 (x_3 - x_2)^2],$$

$$F = \frac{1}{2} [b_1 (\dot{x}_1)^2 + b_2 (\dot{x}_2 - \dot{x}_1)^2 + b_3 (\dot{x}_3 - \dot{x}_2)^2], \quad \begin{aligned} Q_{x_1} &= -F_b \\ Q_{x_2} &= +F_b \\ Q_{x_3} &= 0 \end{aligned}$$

$$\begin{cases} m_1 \ddot{x}_1 + c_1 x_1 + c_2 (x_1 - x_2) + b_1 \dot{x}_1 + b_2 (\dot{x}_1 - \dot{x}_2) = -F_0 \cdot e^{i\check{S}t}; \\ m_2 \ddot{x}_2 + c_2 (x_2 - x_1) + c_3 (x_2 - x_3) + b_2 (\dot{x}_2 - \dot{x}_1) + b_3 (\dot{x}_2 - \dot{x}_3) = F_0 \cdot e^{i\check{S}t}; \\ m_3 \ddot{x}_3 + c_3 (x_3 - x_2) + b_3 (\dot{x}_3 - \dot{x}_2) = 0 \end{cases} \quad (4)$$

$$\tilde{x}_1 = \tilde{A}_1 \cdot e^{i\check{S}t} \quad x_1 = \text{Im} \{ A_{01} \cdot e^{i\check{t}_1} \cdot e^{i\check{S}t} \} = A_{01} \sin(\check{S}t - \{ \check{t}_1 \});$$

$$\tilde{x}_2 = \tilde{A}_2 \cdot e^{i\check{S}t}, \quad x_2 = \text{Im} \{ A_{02} \cdot e^{i\check{t}_2} \cdot e^{i\check{S}t} \} = A_{02} \sin(\check{S}t - \{ \check{t}_2 \});$$

$$\tilde{x}_3 = \tilde{A}_3 \cdot e^{i\check{S}t} \quad \tilde{x}_3 = \text{Im} \{ A_{03} \cdot e^{i\check{t}_3} \cdot e^{i\check{S}t} \} = A_{03} \sin(\check{S}t - \{ \check{t}_3 \}).$$

$$\tilde{A}_1 = g_{23} + i g_{24} = A_{01} \cdot e^{i\check{t}_1}$$

$$\tilde{A}_2 = g_{25} + i g_{26} = A_{02} \cdot e^{i\check{t}_2}$$

$$\tilde{A}_3 = g_{27} + i g_{28} = A_{03} \cdot e^{i\check{t}_3}$$

$$A_{01} = \sqrt{g_{23}^2 + g_{24}^2}; \quad \{ \check{t}_1 = \arctg \left(\frac{g_{24}}{g_{23}} \right)$$

$$A_{02} = \sqrt{g_{25}^2 + g_{26}^2}; \quad \{ \check{t}_2 = \arctg \left(\frac{g_{26}}{g_{25}} \right)$$

$$A_{03} = \sqrt{g_{27}^2 + g_{28}^2}; \quad \{ \check{t}_3 = \arctg \left(\frac{g_{28}}{g_{27}} \right)$$

$$g_{11} = \frac{e_{33}e_{31} - e_{34}e_{32}}{e_{31}^2 + e_{32}^2}; \quad g_{12} = \frac{e_{33}e_{32} + e_{34}e_{31}}{e_{31}^2 + e_{32}^2}. \quad g_{13} = e_{21} - e_{25}g_{11} + e_{26}g_{12};$$

$$g_{14} = e_{22} - e_{25}g_{12} - e_{26}g_{11};$$

$$g_{15} = \frac{F_0 \cdot g_{13}}{m_2 (g_{13}^2 + g_{14}^2)}; \quad g_{16} = -\frac{g_{14} \cdot F_0}{m_2 (g_{13}^2 + g_{14}^2)}; \quad g_{17} = \frac{e_{23}g_{13} + e_{24}g_{14}}{g_{13}^2 + g_{14}^2}; \quad g_{18} = \frac{e_{24}g_{13} - e_{23}g_{14}}{g_{13}^2 + g_{14}^2}.$$

$$; \quad g_{19} = e_{11} - e_{13}g_{17} + e_{14}g_{18}; \quad g_{20} = e_{12} - e_{13}g_{18} - e_{14}g_{17}; \quad g_{21} = e_{13}g_{15} - e_{14}g_{16}; \quad g_{22} = e_{13}g_{16} + e_{14}g_{15};$$

$$g_{23} = \frac{g_{21}g_{19} + g_{22}g_{20} - \frac{F_0}{m_2} g_{19}}{g_{19}^2 + g_{20}^2}; \quad g_{24} = \frac{g_{22}g_{19} - g_{21}g_{20} + \frac{F_0}{m_2} g_{20}}{g_{19}^2 + g_{20}^2}.$$

$$g_{25} = g_{15} + g_{17}g_{23} - g_{18}g_{24}; \quad g_{26} = g_{16} + g_{17}g_{24} - g_{18}g_{23};$$

$$g_{27} = g_{11}g_{25} - g_{12}g_{26}; \quad g_{28} = g_{11}g_{26} + g_{12}g_{25}$$

$$\begin{aligned}
e_{11} &= -\check{S}^2 + \check{S}_{01}^2 + \check{S}_{012}^2; e_{12} = 2(h_1 + h_{12})\check{S}; e_{13} = \check{S}_{012}^2; e_{14} = -2h_{12}\check{S}; \\
e_{21} &= -\check{S}^2 + \check{S}_{02}^2 + \check{S}_{023}^2; e_{22} = 2(h_2 + h_{23})\check{S}; e_{23} = \check{S}_{02}^2; e_{24} = 2h_2\check{S}; e_{25} = \check{S}_{023}^2; e_{26} = 2h_{23}\check{S}; \\
e_{31} &= -\check{S}^2 + \check{S}_{03}^2; e_{32} = 2h_3\check{S}; e_{33} = \check{S}_{03}^2; e_{34} = 2h_3\check{S} \\
h_1 &= \frac{b_1}{2m_1}; h_{12} = \frac{b_2}{2m_1}; \check{S}_{01}^2 = \frac{c_1}{m_1}; \check{S}_{012}^2 = \frac{c_2}{m_1}; h_2 = \frac{b_2}{2m_2}; h_{23} = \frac{b_3}{2m_2}; \check{S}_{02}^2 = \frac{c_2}{m_2}; \\
\check{S}_{023}^2 &= \frac{c_3}{m_2}; h_3 = \frac{b_3}{2m_3}; \check{S}_{03}^2 = \frac{c_3}{m_3}.
\end{aligned}$$

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$\text{Na}_2\text{O} - \text{CaO} > \text{Si}_2$

$\text{Na}_2\text{O} - \text{PbO} > \text{Si}_2$

The structural transformations of the state have been distinguished by a derivatographical method for the silicate systems melt above the liquidus line. The aforesaid confirms the colloidal structure of the latter.

$\text{Na}_2\text{O}-\text{PbO}-\text{Si}_2$

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[1]

20 - 40 ° .

