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The undular mirror which consists of reactive devices and devices with small dempfovations as the device converting undular energy in the given frequency band of perturbation from the straight bit, in energy which enters{arrives} in a drilling string and is partially returned to a bottom-hole in the form of a re-flected{reflection} wave is viewed.

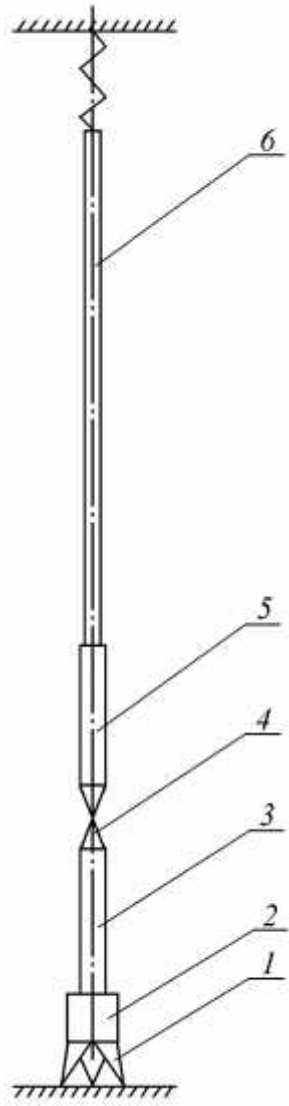
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( ) [1]. 180°.

[2].

( , ) ( , ) .



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1 - ; 2 - .1.  
 5 - ( ) ; 3 - : ; 4 - ;  
 ; 6 - ;

[3]:

$$F = F \operatorname{ch} \gamma l + \xi Z \operatorname{sh} \gamma l; \quad (1)$$

$$\xi = \xi Z \operatorname{ch} \gamma + \frac{Z}{Z} \operatorname{ch} \gamma l, \quad (2)$$

$F, -c$  ;  $F, -$   
 $; Z -$  -  
 $(1) (2).$  (1)  
 $(2) :$

$$Z = Z \frac{Z l + Z}{Z l + Z} + R, \quad (3)$$

$Z -$  ;  $Z -$  -  
 $; R -$  .  
 $(3)$  , -  
 $R$

$$K_F = \frac{F}{F} \quad (4)$$

$$K_\xi = \frac{\xi}{\xi} = -K_F. \quad (5)$$

(1) (2) :

$$K_F = \frac{F - \xi Z}{F + \xi Z} \quad (6)$$

$$F = Z \xi \quad (7)$$

$$K_F = \frac{Z - Z}{Z + Z}. \quad (8)$$

$$Z = 0$$

$$K_F = \frac{0 - Z}{0 + Z} = -1 \quad (9)$$

$$|K_F| = \sqrt{\frac{X^2 - K^2}{X^2 + K^2}}, \quad (10)$$

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$$Z = \frac{F}{\xi} = \frac{F}{\xi}, \quad (11)$$

$$Z = Z .$$

$$Z \neq Z :$$

$$\frac{F}{\xi} \neq Z \quad (12)$$

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